

CAIMSGUZ User's Guide

1. Description

CAIMSGUZ is a FORTRAN77 program that **computes analytically the adverse impact and the expected quality of a multi-stage selection given the stage-specific selection rates**. In particular, the program addresses the multi-stage **pre-reject** selection decision in which P **elementary** predictors are available to screen the candidates and the criterion behaviour is a predefined, weighed combination of criterion dimensions such as, for example, task performance and contextual performance. **The program is adapted to handle uncertainty with respect to the values of the predictor effect sizes, validities and intercorrelations as well as the criterion effect sizes and intercorrelations. To deal with the uncertainty, the computations are repeated, each time using another sample of values for the uncertain parameters. Sampling from appropriate rectangular or normal distributions is available. The sample generator is in a non-repeatable state, so that different runs, starting from the same input file, will produce slightly different results in case that ISRAN (see below) is not equal to 0.**

2. Assumptional Basis

CAIMSGUZ assumes that the decision to select a candidate is based on stage-specific **composite** predictors which are user-specified weighted combinations of either all the thusfar administered predictors or of the predictors that were administered in the stage. The calculations are based on the assumption that the predictor and (eventually) the criterion dimensions have a joint multivariate normal distribution with the same variance/covariance matrix but a different mean vectors in the different applicant populations. Given this assumption it is, without further restrictions, understood that the joint distribution of the predictors and the criterion dimensions is standard multivariate normal in the first applicant population. It is also understood that the **last** applicant population serves as the basis for the values of the predictor and criterion effect sizes (i.e., the effect sizes are all equal to zero for this group). Finally, **the computation of the adverse impact ratios assumes that the last applicant group is the majority applicant group.**

3. Technical Aspects

The program can handle selections with up to 4 stages, 5 different applicant populations, 3 criterion dimensions and 10 elementary predictors. A maximum of 100,000 samples is possible. To safely run the compiled program, a PC running under MS-Windows 95, 98, NT or 2000 and with at least 128 MB RAM memory is required. Execution times typically are between 1 and several hundreds of CPU seconds on a Pentium 4, 3.2 Ghz

machine, depending on the number of samples.

4. Input

Observe that all input is in free format: Variables or vectors that have a name commencing with the letters I, J, K, L, M, N get INTEGER values (i.e., no decimal point). All other variables, vectors and matrices get FLOATING POINT values. The number of blanks between consecutive values on a line (record) can be freely chosen.

- # 1: **ISRAN, NLSA, NC, NF, NP, NGR, PGR(I) (with I = 1, NGR)**
 - ISRAN: the values are sampled from rectangular (ISRAN = 2) or normal distributions (ISRAN = 1). If ISRAN = 0 and NLSA = 1 only one run is performed and no upper bound values or standard deviations of the data input variables must be specified.
 - NLSA: the number of samples ($100 < \text{NLSA} < 100000$ when ISRAN equals 1 or 2; when ISRAN equals 0, NLSA must be set equal to 1)
 - NC: number of criterion dimensions ($\text{NC} \leq 5$)
 - NF: number of selection stages ($\text{NF} \leq 4$)
 - NP: total number of predictors ($\text{NP} \leq 10$)
 - NGR: number of different applicant populations ($\text{NGR} \leq 5$)
 - (PGR(I), I = 1, NGR): vector with the proportional representation of the different applicant groups in the total applicant pool. **Observe that PGR(1) + ... + PGR(NGR) must be equal to 1.**
- # 2: **RETR(I) (with I = 1, NF)**
RETR(I) indicates the retention rate at the end of the *I*th selection stage.
- # 3 and following: **WEIVAL(I,J) (with I = 1, NF and J = 1, NP).**
The element WEIVAL(I,J) indicates the weight with which the *J*th elementary predictor is used to compose the *I*th stage-specific composite predictor.
- # 4 and following: **DIFC1(K, I) (with K = 1, NGR and I = 1, NC) and DIFP1(K, I) (with K = 1, NGR and I = 1, NP)**
 - DIFC1(K, I): the effect size of the *I*th criterion dimension in the *K*th applicant group (the last applicant serves as the basis)
 - DIFP1(K, I): the effect size of the *I*th elementary predictor in the *K*th applicant group (the last population is the basis)

- When $ISRAN = 2$, $DIFC1(K, I)$ and $DIFP1(K, I)$ indicate the **lower bound** value of the effect size.
- When $ISRAN = 1$, $DIFC1(K, I)$ and $DIFP1(K, I)$ indicate the **mean value** of the effect size.
- When $ISRAN = 0$, $DIFC1(K, I)$ and $DIFP1(K, I)$ simply indicate the value of the effect size.
- # 5 and following: **DIFC2(K, I)** (with $K = 1$, NGR and $I = 1$, NC) and **DIFP2(K, I)** (with $K = 1$, NGR and $I = 1$, NP).
 When $ISRAN = 2$, $DIFC2(K, I)$ and $DIFP2(K, I)$ indicate the **upper bound** value of the effect size.
 When $ISRAN = 1$, $DIFC2(K, I)$ and $DIFP2(K, I)$ indicate the **standard deviation** of the effect size.
When $ISRAN = 0$, $DIFC2(K, I)$ and $DIFP2(K, I)$ must not be set!
 - # 6: **WC(I)** (with $I = 1$, NC)
 $WC(I)$ represents the weight with which the I th criterion dimension contributes to the overall criterion.
 - # 7 and following: **CC1(I,J)** (with both I and $J = 1$, NC).
 $CC1(I,J)$ indicates the correlation between the I th and the J th criterion dimension. Only the strict upper triangle of the correlation matrix is required!
 When $ISRAN = 2$, $CC1(I,J)$ refers to the **lower bound** value of the correlation.
 When $ISRAN = 1$, $CC1(I,J)$ refers to the **mean value** of the correlation.
 When $ISRAN = 0$, $CC1(I,J)$ simply refers to the value of the correlation.
 - # 8 and following: **CC2(I,J)** (with both I and $J = 1$, NC).
 Only the strict upper triangle is required!
 When $ISRAN = 2$, $CC2(I,J)$ refers to the **upper bound** value that corresponds to the above specified lower bound value $CC1(I,J)$ of the correlation.
 When $ISRAN = 1$, $CC2(I,J)$ refers to the **standard deviation** of the above specified mean correlation $CC1(I,J)$.
When $ISRAN = 0$, $CC2(I,J)$ must not be set!
 - # 9 and following: **PC1(I,J)** (with both I and $J = 1$, NP).
 $PC1(I,J)$ indicates the correlation between the I th and the J th elementary predictor. Only the strict upper triangle of the correlation matrix is required!
 When $ISRAN = 2$, $PC1(I,J)$ refers to the **lower bound** value of the correlation.
 When $ISRAN = 1$, $PC1(I,J)$ refers to the **mean value** of the correlation.
 When $ISRAN = 0$, $PC1(I,J)$ simply refers to the value of the correlation.

- # 10 and following: **PC2(I,J)** (with both I and J = 1, NP).
Only the strict upper triangle is required!
When ISRAN = 2, PC2(I,J) refers to the **upper bound** value that corresponds to the above specified lower bound value PC1(I,J) of the correlation.
When ISRAN = 1, PC2(I,J) refers to the **standard deviation** of the above specified mean correlation PC1(I,J).
When ISRAN = 0, PC2(I,J) must not be set!
- # 11 and following: **PV1(I,J)** (with I = 1, NC and J = 1, NP).
PV1(I,J) indicates the validity of the Jth elementary predictor with respect to the Ith criterion dimension.
When ISRAN = 2, PV1(I,J) refers to the **lower bound** value of the validity.
When ISRAN = 1, PV1(I,J) refers to the **mean value** of the validity. When ISRAN = 0, PV1(I,J) simply refers to the value of the validity.
- # 12 and following: **PV2(I,J)** (with I = 1, NC and J = 1, NP).
When ISRAN = 2, PV2(I,J) refers to the **upper bound** value that corresponds to the above specified lower bound value PV1(I,J) of the validity.
When ISRAN = 1, PV2(I,J) refers to the **standard deviation** of the above specified mean validity PV1(I,J).
When ISRAN = 0, PV2(I,J) must not be set!

5. Sample Input File

Important: in preparing the input file, use a simple text editor such as Notepad, Wordpad or any other standard ASCII producing editor. DO NOT USE TEXT PROCESSING PROGRAMS SUCH AS MS-WORD or WORDPERFECT. Also, when saving the input file in Notepad, use the option "All Files" in the "Save as type" box. When saving in Wordpad, use the "Text Document-MS-DOS Format" option in the "Save as type" box, and be **aware that Wordpad has the nasty habit of adding the extension .txt to the file name that you specify**. Thus, with Wordpad, if you specify the name of the input file as "MINPUT", the file will in fact be saved as "MINPUT.TXT"; and this is the name that you have to use in the command to run the present programs. Here is a first sample input file, for the caimsguz program. The input file specifies an analysis without the Monte Carlo feature (i.e., ISRAN equals 0).

```
0 1 2 3 4 3 0.20 0.10 0.70
0.6 0.3 0.10
0.100 0.000 0.000 0.000
0.000 0.319 0.223 0.000
0.000 0.000 0.000 0.254
-0.450 0.070 -0.330 -1.000 -0.090 -0.230
```

```

0.100 0.020 -0.230 0.200 -0.080 -0.130
0.00 0. 0. 0. 0. 0.
3.000 1.000
0.170
0.190 0.510 0.160
0.000 0.240
0.120
0.280 0.300 0.180 0.300
0.250 0.160 0.200 0.260

```

Next, a second input file for an analysis where the uncertain parameter values are sampled from **normal distributions**

```

1 1000 2 3 4 2 0.20 0.80
0.5 0.4 0.200
0.0 1.0 0.0 0.0
0.0 0.0 1.0 0.0
0.0 0.0 0.0 1.0
-0.450 0.070 -0.330 -1.000 -0.090 -0.230
0.00 0. 0. 0. 0. 0.
0.070 0.060 0.080 0.250 0.090 0.070
0.00 0. 0. 0. 0. 0.
1.0 0.0
0.170
0.160
0.190 0.510 0.160
0.000 0.240
0.120
0.050 0.100 0.070
0.060 0.050
0.120
0.280 0.300 0.180 0.300
0.250 0.160 0.200 0.260
0.070 0.080 0.040 0.040
0.070 0.080 0.090 0.040

```

6. Running the Program

Suppose you copied the executable source of the program to the d:sse1 directory on your machine. In that case, the input file must also be saved in the d:sse1 directory. Next, to run the program, you have to open an MS-DOS Command window. The way to do this varies from one operating system (i.e., Windows 95, 98, NT a.s.o.) to the other, and you should use your local "HELP" button when in doubt about this feature.

In the MS-DOS Command window you type d:, followed by RETURN or ENTER, and your computer will return the D:\> command prompt. Next, you type cd sse1 after the D:\> command prompt, again followed by RETURN or ENTER, and your computer will respond with the D:\sse1> command prompt. Now, you can execute the program

by typing `caimsguz < minput > moutput` where "minput" is the name of the input file and "moutput" is the name of the output file. At the end of the execution, the PC will return the command prompt `D:\ssel>`. You can then inspect the output by editing the output file with either Notepad, Wordpad or any other simple editor program.

7. Sample Output

The first output corresponds to the first analysis, the second to the input file where the values of the selection parameters are uncertain and sampling occurs from normal distributions.

Program execution starts on 25/ 5/2005 at 17:37:43

```
+++++++
+ CAIMSGUZ +
+++++++
```

Analytical computation of the selection quality and the adverse impact of MULTI-STAGE selection decisions, given the stage-specific predictor weights and retention rates. Adapted to uncertainty in the available estimates of the predictor correlations, validities and effect sizes as well of the criterion correlations and effect sizes. The selection criterion behaviour (i.e., job performance) may be multi-dimensional.

Program written by Wilfried De Corte, Ghent University, Belgium

The program uses routines from the Slatec library (see <http://www.geocities.com/Athens/Olympus/5564>), a couple of algorithms from StatLib (see <http://lib.stat.cmu.edu/apstat/>), and some (adapted) code from Genz to evaluate multivariate normal probabilities (cf. <http://www.math.wsu.edu/math/faculty/genz/homepage>) At present, the program is limited to 4 stages, 3 criteria, 10 predictors and 5 different applicant groups.

PROBLEM SPECIFICATION

Exact computation---extended output

```
Number of selection stages: 3
Number of criterion dimensions: 2
Number of available predictors: 4
Number of different applicant groups: 3
Weights used to combine the individual criterion
dimensions to the composite criterion are: 3.000 1.000
```

```
Proportional representation applicant groups:
0.200 0.100 0.700
```

Correlation matrix of the criterion dimensions.

Criterion 1	1.000	0.170
Criterion 2	0.170	1.000

Correlation matrix of the predictors.

Predictor 1	1.000	0.190	0.510	0.160
Predictor 2	0.190	1.000	0.000	0.240
Predictor 3	0.510	0.000	1.000	0.120
Predictor 4	0.160	0.240	0.120	1.000

Validities of the predictors (columns) with respect to the criterion dimensions (rows).

Criterion 1	0.280	0.300	0.180	0.300
Criterion 2	0.250	0.160	0.200	0.260

Effect sizes selection predictors (Last group is base).

Group 1:	-0.330	-1.000	-0.090	-0.230
Group 2:	-0.230	0.200	-0.080	-0.130
Group 3:	0.000	0.000	0.000	0.000

Effect sizes criterion dimensions (Last group is base).

Group 1:	-0.450	0.070
Group 2:	0.100	0.020
Group 3:	0.000	0.000

Predictor weights from predictor 1 onwards are fixed as follows in each of the stages

Stage 1 :	0.100	0.000	0.000	0.000
Stage 2 :	0.000	0.319	0.223	0.000
Stage 3 :	0.000	0.000	0.000	0.254

Fixed retention rates in the 3 stages

Retention rate stage 1 must be equal to	0.600
Retention rate stage 2 must be equal to	0.300
Retention rate stage 3 must be equal to	0.100

COMPUTATION RESULTS OVERVIEW

Stage	Group	Quality	Cum. AI	Stage AI		
1	1	-0.058	0.797	0.797		
1	2	0.397	0.859	0.859		
1	3	0.259	1.000	1.000		
2	1	0.356	0.344	0.432		
2	2	0.590	0.977	1.137		
2	3	0.492	1.000	1.000		
3	1	0.656	0.320	0.930		
3	2	0.921	0.834	0.854		
3	3	0.793	1.000	1.000		
Quality all selected per stage:				0.218	0.492	0.795

Effect sizes stage-specific predictor composites before stage 1

	Group 1	Group 2	Group 3	Group 4	Group 5
Stage 1 Predictor composite	-0.330	-0.230	0.000		
Stage 2 Predictor composite	-0.871	0.118	0.000		
Stage 3 Predictor composite	-0.230	-0.130	0.000		

Effect size stage 2 predictor composite after stage 1 selection

Group 1	Group 2	Group 3	Group 4	Group 5
-0.783	0.178	0.000		

Predictor effect sizes after stage 1 selection

	Group 1	Group 2	Group 3	Group 4	Group 5
Predictor 1	-0.134	-0.096	0.000		
Predictor 2	-0.963	0.225	0.000		
Predictor 3	0.010	-0.012	0.000		
Predictor 4	-0.199	-0.109	0.000		

Effect size stage 3 predictor composite after stage 2 selection

Group 1	Group 2	Group 3	Group 4	Group 5
-0.063	-0.137	0.000		

Predictor effect sizes after stage 2 selection

	Group 1	Group 2	Group 3	Group 4	Group 5
Predictor 1	-0.033	-0.138	0.000		
Predictor 2	-0.489	0.133	0.000		
Predictor 3	0.275	-0.072	0.000		
Predictor 4	-0.063	-0.137	0.000		

Predictor effect sizes after stage 3 selection

	Group 1	Group 2	Group 3	Group 4	Group 5
Predictor 1	-0.044	-0.137	0.000		
Predictor 2	-0.520	0.156	0.000		
Predictor 3	0.252	-0.068	0.000		
Predictor 4	-0.021	-0.037	0.000		

Average expected quality of a selected applicant

after stage 1 over the 1 samples is 0.2178
 whereas the average Cum. AI values for the groups are
 0.797 0.859 1.000

Average expected quality of a selected applicant

after stage 2 over the 1 samples is 0.4922
 whereas the average Cum. AI values for the groups are
 0.344 0.977 1.000

Average expected quality of a selected applicant

after stage 3 over the 1 samples is 0.7949
 whereas the average Cum. AI values for the groups are
 0.320 0.834 1.000

CPU TIME IN SECONDS 0.00

Program execution starts on 25/ 5/2005 at 17:44:53

```

+++++
+  CAIMSGUZ  +
+++++

```

Analytical computation of the selection quality and the adverse impact of MULTI-STAGE selection decisions, given the stage-specific predictor weights and retention rates. Adapted to uncertainty in the available estimates of the predictor correlations, validities and effect sizes as well of the criterion correlations and effect sizes. The selection criterion behaviour (i.e., job performance) may be multi-dimensional.

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PROBLEM SPECIFICATION

Number of selection stages: 3
 Number of criterion dimensions: 2
 Number of available predictors: 4
 Number of different applicant groups: 2
 Weights used to combine the individual criterion dimensions to the composite criterion are: 1.000 0.000
 Sampling of uncertain problem variables is from appropriate normal distributions
 Number of Monte Carlo samples is 1000

Proportional representation applicant groups:
 First row contains expected values, whereas the second contains the standard deviations for the corresponding elements
 0.200 0.800

0.000 0.000

Correlation matrix of the criterion dimensions.

First matrix contains expected values, whereas
the second contains the standard deviations
for the corresponding elements

Criterion 1	1.000	0.170
Criterion 2	0.170	1.000

Criterion 1	1.000	0.160
Criterion 2	0.160	1.000

Correlation matrix of the predictors.

First matrix contains expected values, whereas
the second contains the standard deviations
for the corresponding elements

Predictor 1	1.000	0.190	0.510	0.160
Predictor 2	0.190	1.000	0.000	0.240
Predictor 3	0.510	0.000	1.000	0.120
Predictor 4	0.160	0.240	0.120	1.000

Predictor 1	1.000	0.050	0.100	0.070
Predictor 2	0.050	1.000	0.060	0.050
Predictor 3	0.100	0.060	1.000	0.120
Predictor 4	0.070	0.050	0.120	1.000

Validities of the predictors (columns) with respect
to the criterion dimensions (rows).

First matrix contains expected values, whereas
the second contains the standard deviations
for the corresponding elements

Criterion 1	0.280	0.300	0.180	0.300
Criterion 2	0.250	0.160	0.200	0.260

Criterion 1	0.070	0.080	0.040	0.040
Criterion 2	0.070	0.080	0.090	0.040

Effect sizes selection predictors (Last group is base).

First matrix contains expected values, whereas
the second contains the standard deviations
for the corresponding elements

Group 1:	-0.330	-1.000	-0.090	-0.230
Group 2:	0.000	0.000	0.000	0.000

Group 1:	0.080	0.250	0.090	0.070
Group 2:	0.000	0.000	0.000	0.000

Effect sizes criterion dimensions (Last group is base).

First matrix contains expected values, whereas
the second contains the standard deviations

for the corresponding elements

Group 1: -0.450 0.070

Group 2: 0.000 0.000

Group 1: 0.070 0.060

Group 2: 0.000 0.000

Predictor weights from predictor 1 onwards are fixed
as follows in each of the stages

Stage 1 : 0.000 1.000 0.000 0.000

Stage 2 : 0.000 0.000 1.000 0.000

Stage 3 : 0.000 0.000 0.000 1.000

Fixed retention rates in the 3 stages

Retention rate stage 1 must be equal to 0.500

Retention rate stage 2 must be equal to 0.400

Retention rate stage 3 must be equal to 0.200

COMPUTATION RESULTS OVERVIEW

Monte Carlo sample number 1

Stage	Group	Quality	Cum. AI	Stage AI
1	1	-0.061	0.298	0.298
1	2	0.170	1.000	1.000
2	1	0.004	0.281	0.942
2	2	0.224	1.000	1.000
3	1	0.202	0.291	1.035
3	2	0.435	1.000	1.000

Quality all selected per stage: 0.154 0.209 0.419

Monte Carlo sample number 2

Stage	Group	Quality	Cum. AI	Stage AI
1	1	-0.068	0.450	0.450
1	2	0.254	1.000	1.000
2	1	-0.012	0.452	1.005
2	2	0.310	1.000	1.000
3	1	0.185	0.466	1.031
3	2	0.521	1.000	1.000

Quality all selected per stage: 0.222 0.277 0.486

Monte Carlo sample number 3

Stage	Group	Quality	Cum. AI	Stage AI
1	1	0.055	0.430	0.430
1	2	0.313	1.000	1.000
2	1	0.094	0.439	1.023
2	2	0.356	1.000	1.000
3	1	0.340	0.412	0.937
3	2	0.595	1.000	1.000

Quality all selected per stage: 0.288 0.330 0.571

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Monte Carlo sample number 994						
Stage	Group	Quality	Cum. AI	Stage AI		
1	1	-0.054	0.460	0.460		
1	2	0.241	1.000	1.000		
2	1	0.000	0.456	0.991		
2	2	0.294	1.000	1.000		
3	1	0.227	0.411	0.901		
3	2	0.505	1.000	1.000		
Quality all selected per stage:				0.211	0.264	0.479

Monte Carlo sample number 995						
Stage	Group	Quality	Cum. AI	Stage AI		
1	1	0.127	0.262	0.262		
1	2	0.247	1.000	1.000		
2	1	0.187	0.254	0.970		
2	2	0.302	1.000	1.000		
3	1	0.401	0.249	0.978		
3	2	0.519	1.000	1.000		
Quality all selected per stage:				0.239	0.295	0.512

Monte Carlo sample number 996						
Stage	Group	Quality	Cum. AI	Stage AI		
1	1	-0.027	0.476	0.476		
1	2	0.320	1.000	1.000		
2	1	0.035	0.453	0.952		
2	2	0.374	1.000	1.000		
3	1	0.222	0.449	0.990		
3	2	0.567	1.000	1.000		
Quality all selected per stage:				0.283	0.339	0.533

Monte Carlo sample number 997						
Stage	Group	Quality	Cum. AI	Stage AI		
1	1	0.413	0.089	0.089		
1	2	0.315	1.000	1.000		
2	1	0.464	0.090	1.011		
2	2	0.368	1.000	1.000		
3	1	0.615	0.103	1.149		
3	2	0.569	1.000	1.000		
Quality all selected per stage:				0.317	0.370	0.570

Monte Carlo sample number 998					
Stage	Group	Quality	Cum. AI	Stage AI	
1	1	0.137	0.332	0.332	
1	2	0.341	1.000	1.000	
2	1	0.173	0.339	1.022	
2	2	0.382	1.000	1.000	
3	1	0.405	0.321	0.947	
3	2	0.612	1.000	1.000	

Quality all selected per stage: 0.325 0.366 0.596

Monte Carlo sample number 999

Stage	Group	Quality	Cum. AI	Stage AI
1	1	-0.011	0.340	0.340
1	2	0.233	1.000	1.000
2	1	0.044	0.342	1.007
2	2	0.290	1.000	1.000
3	1	0.243	0.358	1.044
3	2	0.507	1.000	1.000

Quality all selected per stage: 0.214 0.271 0.485

Monte Carlo sample number 1000

Stage	Group	Quality	Cum. AI	Stage AI
1	1	-0.096	0.454	0.454
1	2	0.214	1.000	1.000
2	1	-0.035	0.456	1.004
2	2	0.275	1.000	1.000
3	1	0.113	0.450	0.987
3	2	0.426	1.000	1.000

Quality all selected per stage: 0.182 0.244 0.394

Average expected quality of a selected applicant
after stage 1 over the 1000 samples is 0.2739
whereas the average Cum. AI values for the groups are
0.368 1.000

Selected percentile values of the "sampling
distribution" of the expected quality of the selected

1	5	10	25	50	75	90	95	99
0.142	0.179	0.198	0.235	0.274	0.311	0.346	0.366	0.413

Selected percentile values of the "sampling
distribution" of the group specific Cum. AI ratio values

For group 1

1	5	10	25	50	75	90	95	99
0.155	0.201	0.232	0.286	0.359	0.441	0.513	0.566	0.687

For group 2

1	5	10	25	50	75	90	95	99
1.000	1.000	1.000	1.000	1.000	1.000	1.000	1.000	1.000

Average expected quality of a selected applicant
after stage 2 over the 1000 samples is 0.3360
whereas the average Cum. AI values for the groups are
0.356 1.000

Selected percentile values of the "sampling
distribution" of the expected quality of the selected

1	5	10	25	50	75	90	95	99
0.193	0.240	0.258	0.296	0.336	0.375	0.411	0.434	0.487

Selected percentile values of the "sampling distribution" of the group specific Cum. AI ratio values

For group 1

1	5	10	25	50	75	90	95	99
0.151	0.195	0.223	0.274	0.348	0.425	0.503	0.539	0.657

For group 2

1	5	10	25	50	75	90	95	99
1.000	1.000	1.000	1.000	1.000	1.000	1.000	1.000	1.000

Average expected quality of a selected applicant after stage 3 over the 1000 samples is 0.5342 whereas the average Cum. AI values for the groups are
0.337 1.000

Selected percentile values of the "sampling distribution" of the expected quality of the selected

1	5	10	25	50	75	90	95	99
0.395	0.433	0.459	0.495	0.534	0.571	0.612	0.631	0.679

Selected percentile values of the "sampling distribution" of the group specific Cum. AI ratio values

For group 1

1	5	10	25	50	75	90	95	99
0.146	0.200	0.223	0.268	0.328	0.399	0.454	0.493	0.568

For group 2

1	5	10	25	50	75	90	95	99
1.000	1.000	1.000	1.000	1.000	1.000	1.000	1.000	1.000

CPU TIME IN SECONDS 4.27

8. Description of Output

The output is self-explanatory.

9. Dependencies and Acknowledgement

The present program is written in Fortran77. It was compiled to an executable code for WIN32 PCs (ie, Windows 95/98/ME/XP or NT/2000) with the GNU Fortran G77 compiler (cf. <http://www.geocities.com/Athens/Olympus/5564/>). The program uses routines from the SLATEC program library (cf. Fong et al., 1993; <http://www.geocities.com/Athens/Olympus/5564/>), a couple of algorithms from StatLib (<http://lib.stat.cmu.edu/apstat/>), and some (adapted) code from Genz to evaluate multivariate normal probabilities (cf. <http://www.math.wsu.edu/math/faculty/genz/homepage>).

When the user reports results obtained by the present program, due reference should be made to De Corte (2005) and/or De Corte, Lievens, & Sackett

(2006).

10. References

De Corte, W. (2005). CAIMSGUZ User's Guide.

De Corte, W, Lievens, F. & Sackett, P. (2006). Predicting adverse impact and mean criterion performance in multi-stage selection. *Journal of Applied Psychology* (in press).

Fong, K. W., Jefferson, T. H., Suyehiro, & Walton, L. (1993). Guide to the SLATEC common mathematical library (<http://www.netlib.org/slatec/>).